

# Topology Seminar

**Oscar Randal-Williams**

of The University of Oxford will be speaking on

## Diffeomorphisms of discs

on September 14 at 4:30 in  
MIT Room Zoom

In dimensions other than 4, the difference between groups of diffeomorphisms and of homeomorphisms of an  $n$ -manifold  $M$  is governed by an  $h$ -principle, meaning that it reduces to understanding these groups for  $M = \mathbb{R}^n$ . The group of diffeomorphisms is simple, by linearising it is equivalent to  $O(n)$ , but the group  $Top(n)$  of homeomorphisms of  $\mathbb{R}^n$  has little structure and is difficult to grasp. It is profitable to instead consider the  $n$ -disc  $M = D^n$ , because the group of homeomorphisms of a disc (fixing the boundary) is contractible by Alexander's trick: this removes homeomorphisms from the picture entirely, and makes the problem one purely within differential topology. I will explain some of the history of this problem, as well as recent work with A. Kupers in this direction.

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