

Improving Oblivious RAM Protocol through Novel Eviction and Access Strategies

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Overview

1. Background

- a. Definition of ORAM
- b. Previous ORAMs

2. Path ORAM II (Ring)

3. Future Directions

- a. Onion ORAM
- b. Optimization and Improvement

What is an ORAM?

- Oblivious Random Access Memory
- Trusted client, untrusted server

Desired Specifications:

- All accesses must be hidden
- Ideally a usable product with reasonable runtimes

Why is access pattern important?

- Information can be gained from data access pattern
 - frequently accessed files are considered more important
 - financial data, medical information

Background

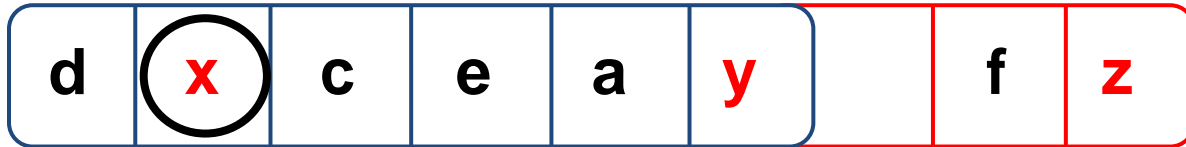
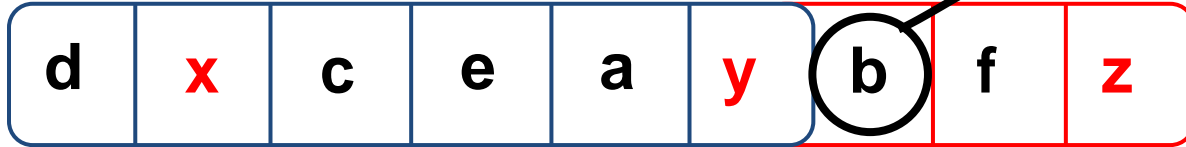
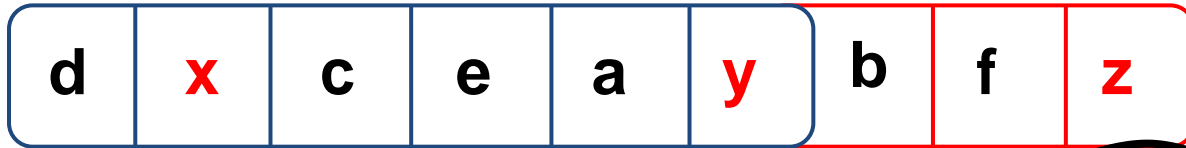
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Encryption:

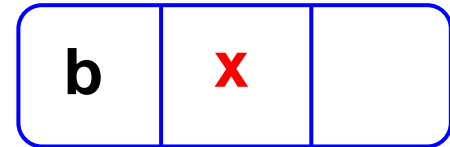
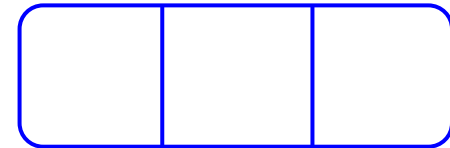
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Goldreich 1987 ORAM

Server



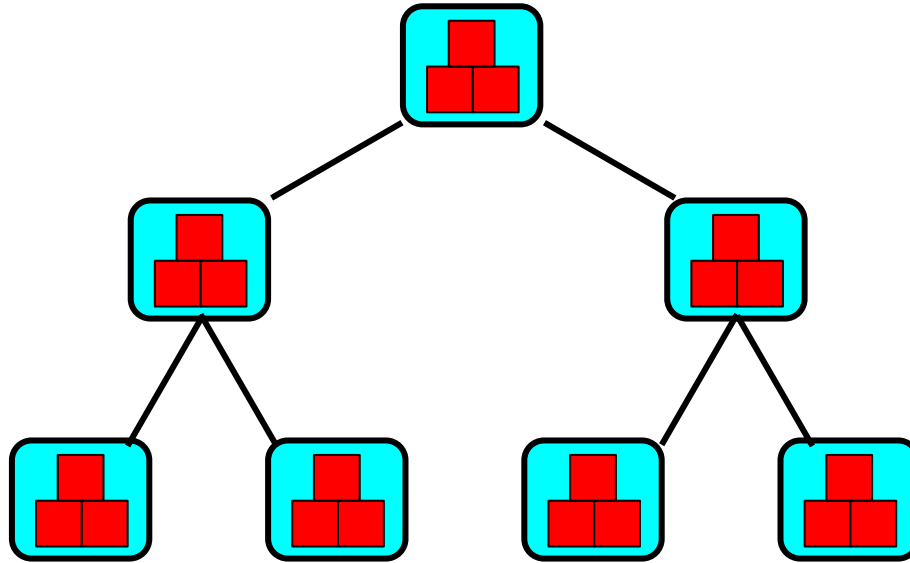
Client



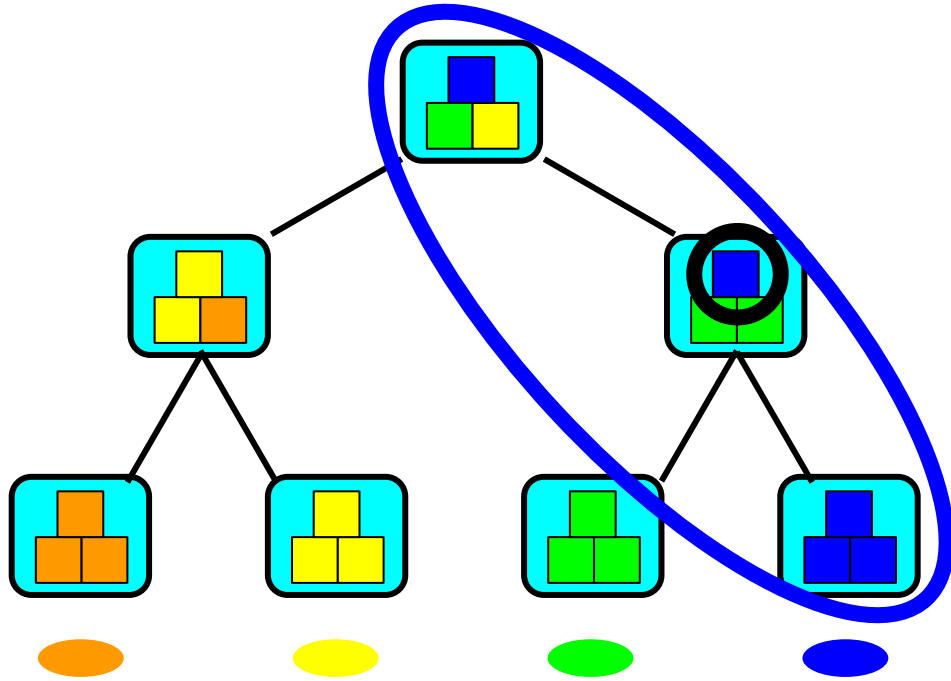
Problems with Goldreich Approach

- It's still very inefficient - complexity $O(\sqrt{N})$
- Shuffling is also inefficient
- With large amounts of data, it's virtually unusable

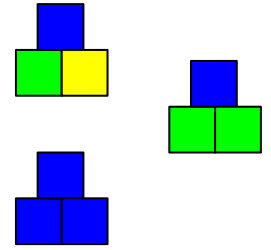
Path ORAM Overview



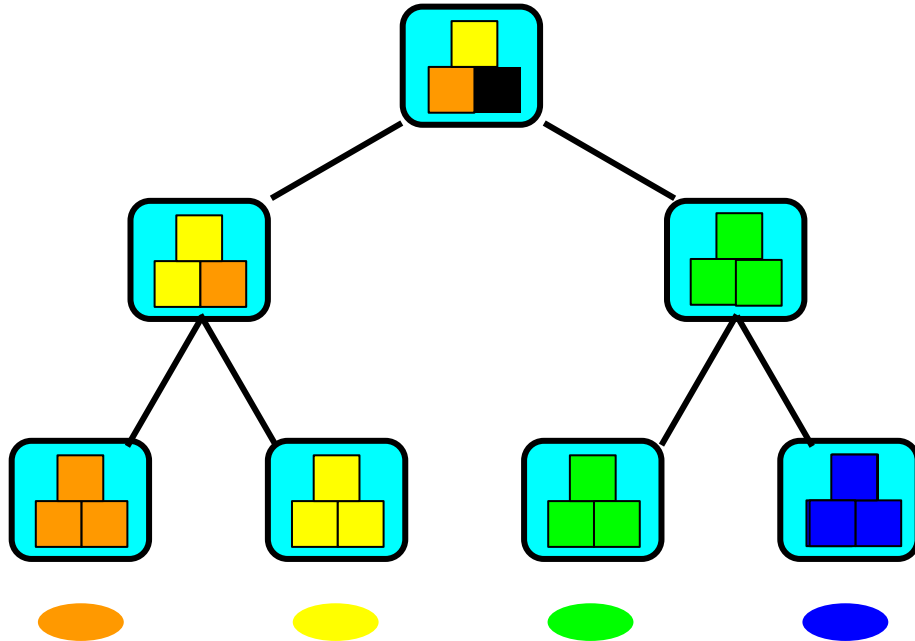
Path ORAM: Access



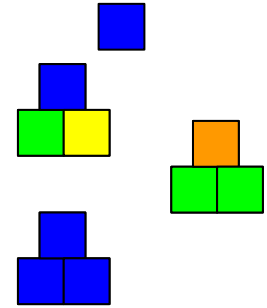
Stash



Path ORAM: Eviction



Stash



Path ORAM: Overall

- Much more efficient: $O(\log N)$
- Still can be improved...

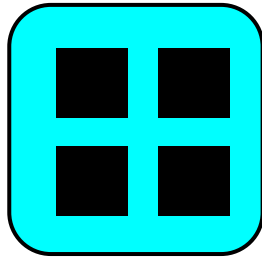
Path ORAM II: Ring ORAM

Ring ORAM: Overview

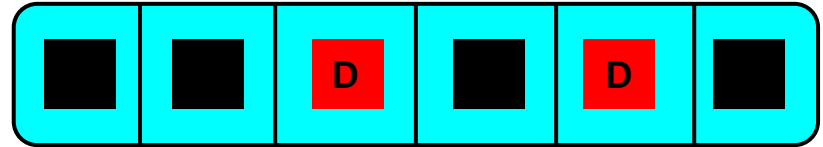
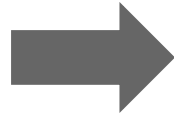
- Improvement on Path ORAM
- Improves by:
 - Decreasing bandwidth
 - Improve eviction quality

Ring ORAM: Buckets

- Use Goldreich Approach:

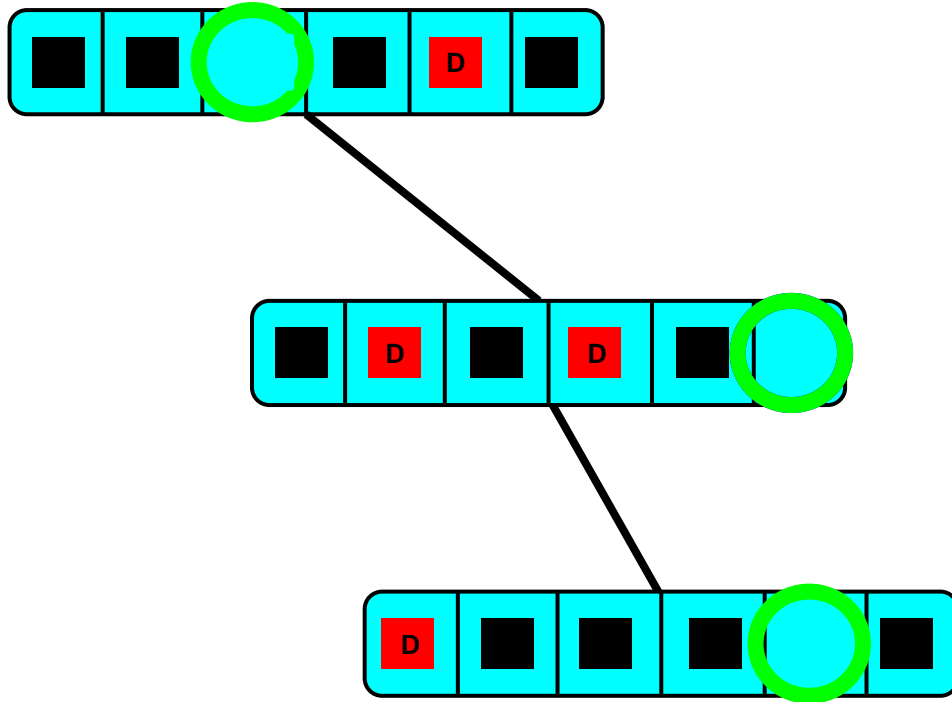


Path ORAM
Bucket



Ring ORAM
Bucket

Ring ORAM: Access



Stash

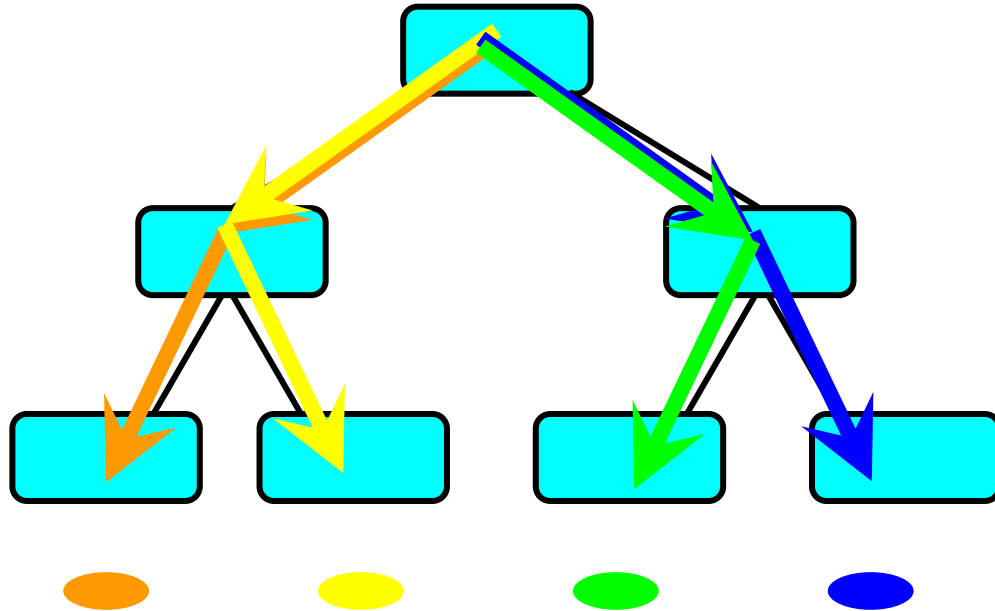


Ring ORAM: Eviction

Two Changes from Path ORAM:

- Only evict every A^{th} Access
- Evict along more efficient path

Optimized Eviction Paths



Our Ring ORAM Results

Z-value: 5

ORAM size: 127

Ring ORAM speed: 0.021916

Final Stash Size: 4

Table of Efficiencies

ORAM Protocol	Bandwidth Efficiency
Naive Linear Scan	$O(N)$
Goldreich (1987)	$O(\sqrt{N})$
Path (2013)	$O(\lg N)$ ($\sim 8 \lg N$)
Ring (2014)	$O(\lg N)$ ($\sim 3 \lg N$)
?????	$O(1)$

FUTURE WORK

Onion Oram

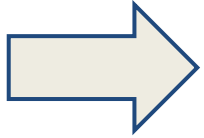
Onion ORAM Details

- Breaks $\log N$ bound
- Server computation

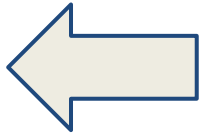
Onion ORAM: Overview

- Server computes on encrypted data
- How?
 - Additive Homomorphic Encryption
 - Guaranteed progress of blocks

Onion ORAM protocol



$E(0\ 1\ 0\ 0\ 0\ 0)$



Data!

Onion ORAM layers

- Many layers of encryption
- Bounding layers is key
- Eviction - move all blocks to leaf

Onion ORAM efficiency

- Bandwidth cost: Constant order - $O(b)$
- Server Computation: $O(B \lambda \log N)$
- Very Costly!

Optimizations and Improvements

- Onion ORAM multi-eviction
- Skipping layers in eviction phase
- NTRU vs Damgård-Jurik

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Onion (2015)	$O(1)$ constant