

Multiplicative Functions and More Modular Arithmetic in PARI

David Whitehouse
California Institute of Technology

1 Multiplicative Functions

`eulerphi(x)` computes $\phi(x)$, the Euler ϕ -function evaluated at x

`sigma(x)` computes $\sigma(x)$, the sum of the positive divisors of x

`sigma(x,k)` computes $\sigma_k(x)$, the sum of the k^{th} powers of the positive divisors of x

2 More Modular Arithmetic

`chinese(Mod(a,m),Mod(b,n))` performs the chinese remainder theorem on $a \bmod m$ and $b \bmod n$ if it's possible

`znprimroot(p)` computes a primitive root mod p

`znorder(Mod(a,p))` computes the exponent (order) of $a \bmod p$

`znlog(Mod(a,p),Mod(b,p))` computes the index of $a \bmod p$ relative to the primitive root $b \bmod p$

`kronecker(a,p)` computes the Legendre symbol $\left(\frac{a}{p}\right)$

`polrootsmod(f,p)` compute the roots of the polynomial f modulo the prime p