The topological chiral homology of $E_n$-algebras can be calculated using certain categories of configurations on manifolds. These are obtainable from a construction associating to each filtered space a category whose morphisms are paths which respect the filtration. In this context, Dwyer-Kan localizations arise from forgetting stages of the filtration. Such a result recovers elementary properties of chiral homology.